

Solutions

Examination in Integrated A/D and D/A Converters, ETI220

14.00-19.00, Thursday, Dec. 16, 2010

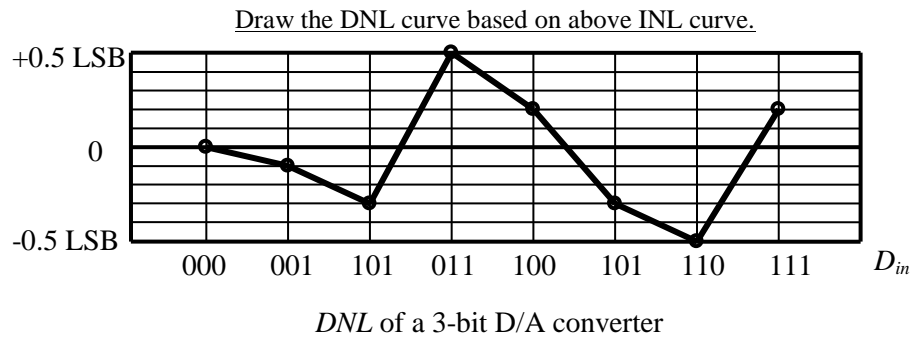
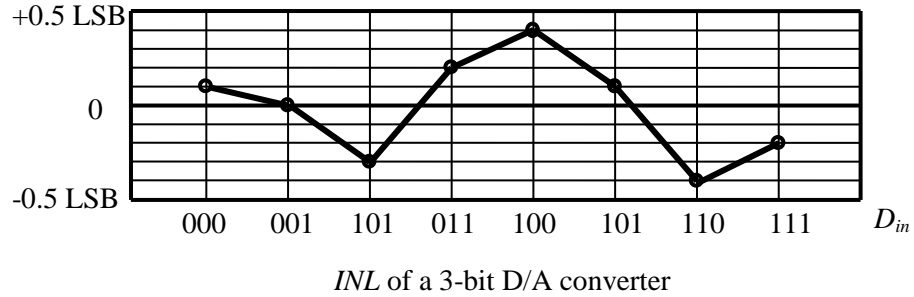
I. Basic questions about A/D converters

- a) The spectral leakage is due to non-coherent sampling. Use coherent sampling to avoid it.
- b) See lecture 1 and chapter 1.4 in the textbook.
- c) SFDR may be relevant in the context of radio communications, where huge interfering signals coexist with tiny desired signals.
- d) See lecture 5 and chapter 5.5 in the textbook.

II. Specific questions about converters

- a) See lecture 4 and chapter 4.8 in the textbook.
- b) Assume e.g. an 8-bit DAC. Assume all resistor ideal, except the MSB resistor, with value $2R(1+dr)$. Code 10000000 results in $I_{out,1} = I_{ref} \cdot 1/(2+dr)$, while code 01111111 results in $I_{out,2} = I_{ref} \cdot (1+dr)/(2+dr) \cdot (1-2^{-7})$. If $dr > 2^{-7} = 0.0078$, monotonicity is lost.

c)



d) See lecture 3 and chapter 3.3.3 in the textbook.

e) The noise floor is at -120dB, which means that with 4096 bins from DC to Nyquist the noise floor power is $-120 + 10 \cdot \log_{10}(4096) \cong -84\text{dB}$. Thus, the SNR is 81dB, and the ENOB is $(81 - 1.76) / 6.02 \cong 13.1$.

f) STF and NTF are:

$$X - Y \left[\left(\frac{z^{-1}}{1 - z^{-1}} \right)^2 + 2 \left(\frac{z^{-1}}{1 - z^{-1}} \right) \right] + X + \varepsilon = Y$$

$$Y = X + 1 - z^{-1} \quad \varepsilon = STF \cdot X + NTF \cdot \varepsilon$$

Concerning the popularity of Delta-Sigma converters, see lecture 6 and chapter 6.1-2 in the textbook.

g) See lecture 3 and chapter 3.4.4 in the textbook.