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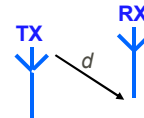
Propagation mechanisms:

- Free space attenuation
- Reflection and transmission
- Diffraction
- Diffuse scattering
- Waveguiding

Examples from real world propagation scenarios

Free space attenuation

- Assume TX and RX antennas in **free space** and would like to derive the received power as a function of link distance



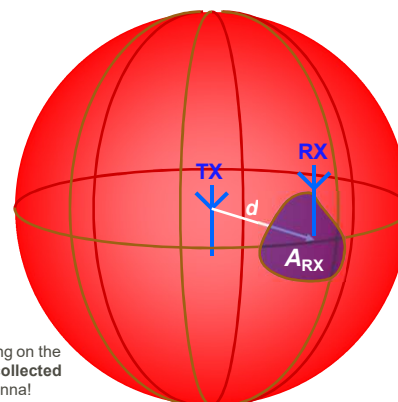
Free space attenuation

- Assume TX and RX antennas in **free space** and would like to derive the received power as a function of link distance
- Energy conservation: integral of power density over any **closed surface** = transmit power
- If TX antenna radiates isotropically, then power density on surface is $P_{TX}/(4\pi d^2)$. Then,

$$P_{RX}(d) = P_{TX} \frac{1}{4\pi d^2} A_{RX}$$

Question!

Power impinging on the area which is **collected** by the RX antenna!



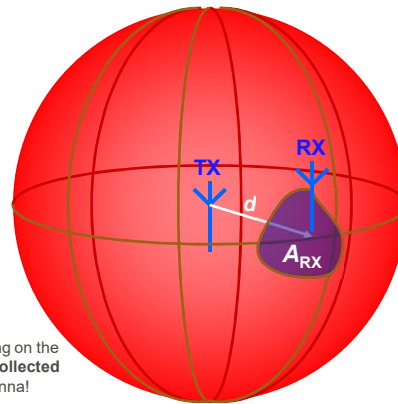
Sphere of radius d

Free space attenuation

- ❑ Assume TX and RX antennas in **free space** and would like to derive the received power as a function of link distance
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Sphere of radius d

- ❑ Relationship between effective area and antenna gain: $G_{RX} = \left(\frac{4\pi}{\lambda^2}\right) A_{RX}$
- ❑ Product of TX power and gain is known as: effective isotropic radiated power (EIRP)



Free space loss: Friis' law

Received power, with antenna gains G_{TX} and G_{RX} :

$$P_{RX}(d) = \frac{G_{RX} G_{TX}}{L_{free}(d)} P_{TX} = P_{TX} \left(\frac{\lambda}{4\pi d} \right)^2 G_{RX} G_{TX} *$$

Free space loss factor

RX power goes down as a function of frequency, for a fixed distance.



$$\begin{aligned} P_{RX|dB}(d) &= P_{TX|dB} + G_{TX|dB} - L_{free|dB}(d) + G_{RX|dB} \\ &= P_{TX|dB} + G_{TX|dB} - 10 \log_{10} \left(\frac{4\pi d}{\lambda} \right)^2 + G_{RX|dB} \end{aligned}$$

Question: What happens if d is 0 in $*$?



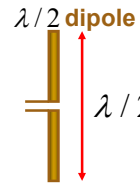
Free space loss: What and where is the far field?

The free space loss calculations are only valid in the "far field" of the antennas.

Far-field conditions are assumed far beyond the "Rayleigh" distance:

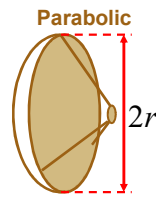
$$d_R = \frac{2L_a^2}{\lambda}$$

where L_a is the largest dimension of the antenna.



$$L_a = \lambda/2$$

$$d_R = \lambda/2$$



$$L_a = 2r$$

$$d_R = \frac{8r^2}{\lambda}$$

Another rule of thumb is: "At least 10 wavelengths"

Wireless Communication Channels



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Quiz

Compute the Rayleigh distance of a square patch antenna receiving a signal with a gain of 10 dB.

Wireless Communication Channels

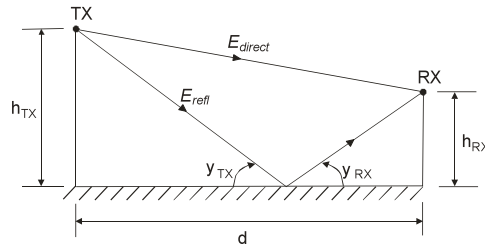


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The d^{-4} law – I

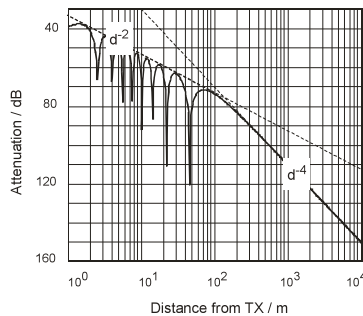
Instead of just considering a direct path, let's look at the following scenario



the power behaves as
$$P_{RX}(d) \approx P_{TX} G_{TX} G_{RX} \left(\frac{h_{TX} h_{RX}}{d^2} \right)^2$$

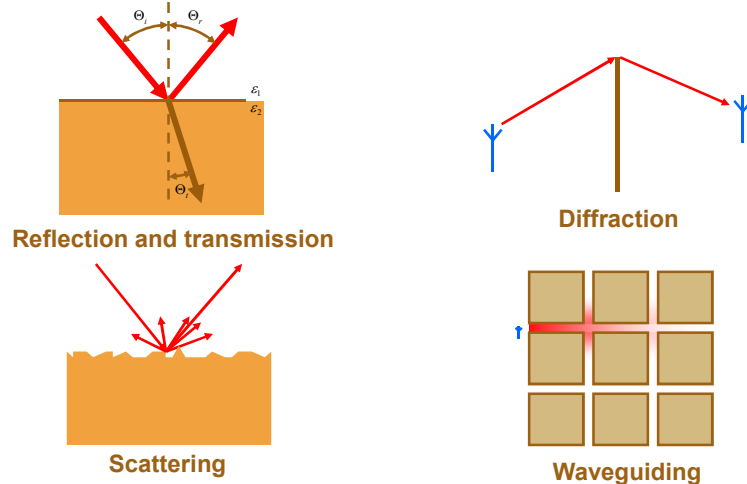
for distances greater than
$$d_{break} \gtrsim 4h_{TX}h_{RX}/\lambda$$

The d^{-4} law – II



- However
 - $n=4$ is not a universal decay exponent
 - Theoretical model is not fulfilled in practice
 - Breakpoint is rarely where theoretically predicted
 - Second breakpoint at the radio horizon

Fundamental propagation mechanisms



Complex dielectric constant

Lets take a homogeneous planewave incident onto a dielectric half-space

$$\delta_i = \epsilon_i - j \frac{\sigma_{e,i}}{2\pi f_c}$$

conductivity

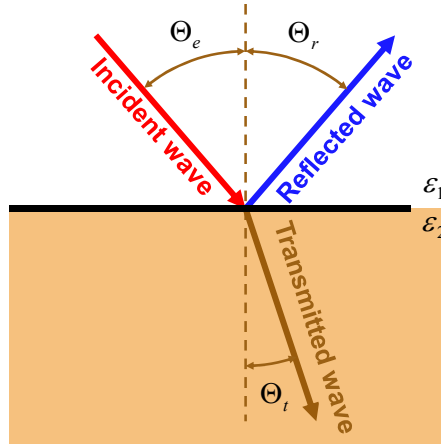
dielectric constant, permittivity

Describes the dielectric material in one single parameter

Examples	Permittivity	conductivity
Concrete	6	10^{-2}
Gypsum	6.5	10^{-2}
Wood	23	10^{-11}
Glass	5	10^{-12}
Air	1	



Reflection and transmission



Reflected angle:

$$\Theta_e = \Theta_r.$$

Transmitted angle:

$$\frac{\sin \Theta_t}{\sin \Theta_e} = \frac{\sqrt{\epsilon_1}}{\sqrt{\epsilon_2}}$$

TM and TE Component Behaviors

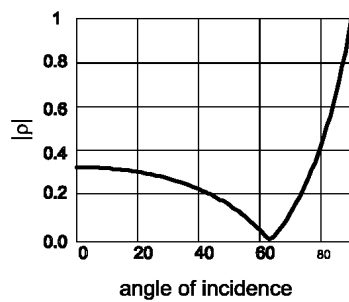
Reflection coefficient

$$\rho_{TM} = -\frac{\sqrt{\delta_2} \cos \Theta_e - \sqrt{\delta_1} \cos(\Theta_t)}{\sqrt{\delta_2} \cos \Theta_e + \sqrt{\delta_1} \cos(\Theta_t)} \quad \rho_{TE} = \frac{\sqrt{\delta_1} \cos(\Theta_e) - \sqrt{\delta_2} \cos(\Theta_t)}{\sqrt{\delta_1} \cos(\Theta_e) + \sqrt{\delta_2} \cos(\Theta_t)}$$

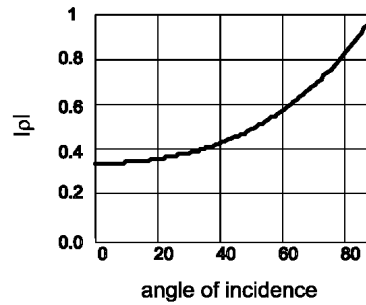
Transmission coefficient

$$T = \sqrt{1 - \rho^2}$$

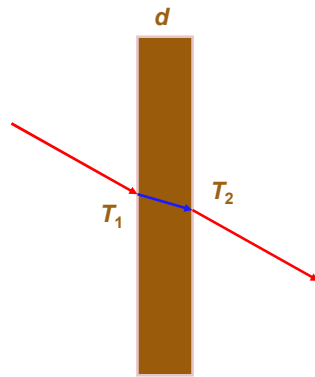
TM-waves



TE-waves



Transmission through layered structures



Total transmission coefficient

$$T = \frac{T_1 T_2 e^{-j\alpha}}{1 + R_1 R_2 e^{-2j\alpha}}$$

total reflection coefficient

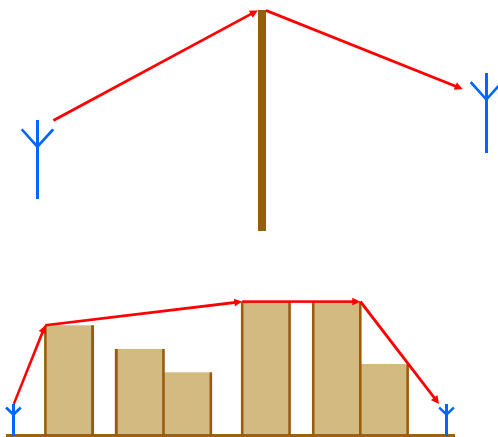
$$\rho = \frac{\rho_1 + \rho_2 e^{-j2\alpha}}{1 + \rho_1 \rho_2 e^{-2j\alpha}}$$

with the electrical length in the wall

$$\alpha = \frac{2\pi}{\lambda} \sqrt{\epsilon_1} d_{\text{layer}} \cos(\Theta_t)$$

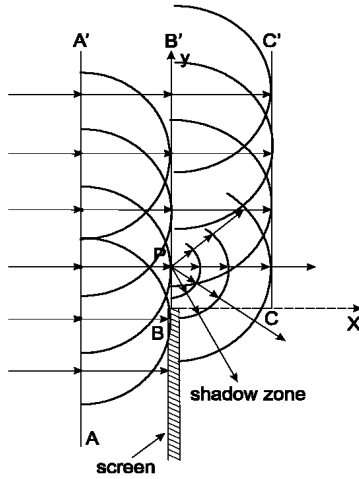
Wall with thickness d and two dielectrics

Diffraction: The principle



- Single or multiple edges
- makes it possible to go behind corners
- less pronounced when the wavelength is small compared to objects

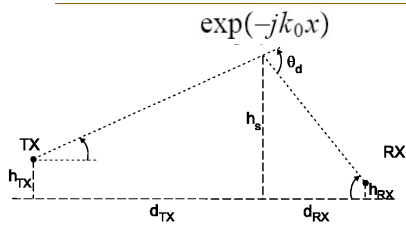
Diffraction: Huygen's principle



Each point of a wavefront can be considered as a source of a spherical wave

➔ Bending around corners and edges

Diffraction coefficient



The Fresnel integral is defined

$$F(v_F) = \int_0^{v_F} \exp(-j\pi \frac{t^2}{2}) dt.$$

with the Fresnel parameter

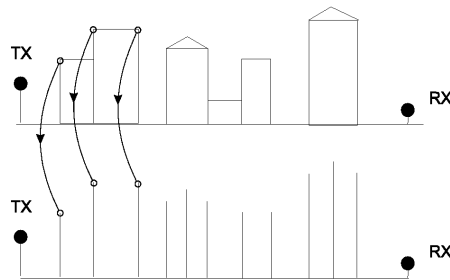
$$v_F = \alpha_k \sqrt{\frac{2d_1 d_2}{\lambda(d_1 + d_2)}}$$

Total field

$$E_{total} = \exp(-jk_0 x) \left(\frac{1}{2} - \frac{\exp(-j\pi/4)}{\sqrt{2}} F(v_F) \right)$$

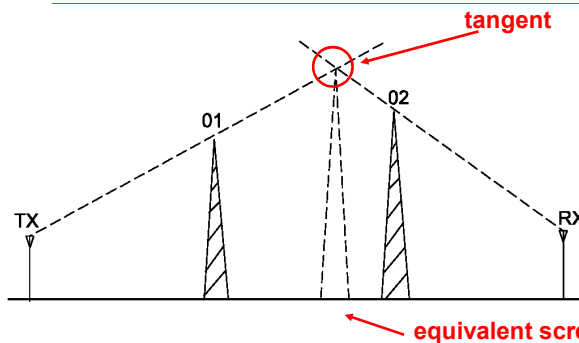
Fresnel integral

Diffraction in real environments



For real environments we can represent buildings and objects as multiple screens

Diffraction: Bullington's method



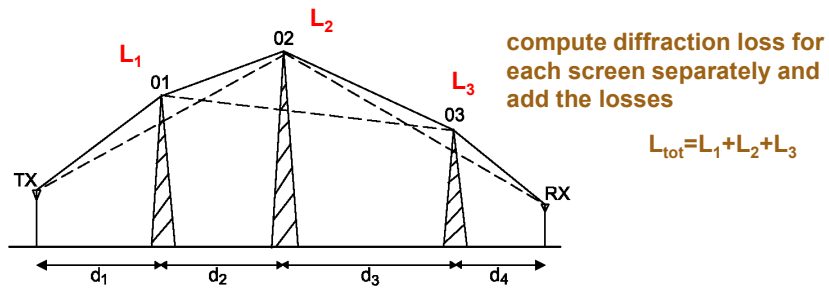
Replace all screens with one equivalent screen

Height determined by the steepest angle

Simple but a bit optimistic

$$E_{\text{total}} = \exp(-jk_0x) \left(\frac{1}{2} - \frac{\exp(-j\pi/4)}{\sqrt{2}} F(v_F) \right) \quad v_F = \alpha_k \sqrt{\frac{2d_1d_2}{\lambda(d_1+d_2)}}$$

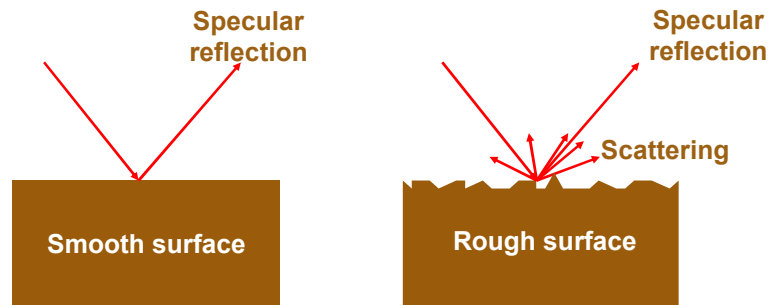
Diffraction – Epstein-Petersen Method



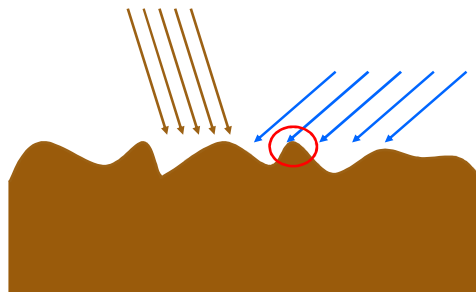
The same approach is used also for the ITU model, but with an empirical correction factor



Diffuse Scattering



Kirchhoff theory – scattering by rough surfaces



calculate distribution of the surface amplitude

assume no “shadowing” from surface

calculate a new reflection coefficient

for Gaussian surface distribution **angle of incidence**

$$\rho_{\text{rough}} = \rho_{\text{smooth}} \exp\left[-2\left(k_0 \sigma_h \sin \psi\right)^2\right]$$

standard deviation of height

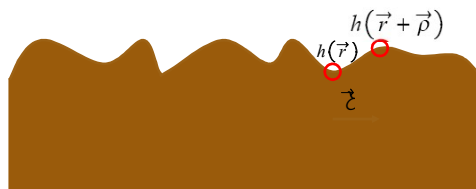


Perturbation theory – scattering by rough surfaces

$$\sigma_h^2 W(\vec{\rho}) = E_{\vec{r}}\{h(\vec{r})h(\vec{r} + \vec{\rho})\}$$

Include shadowing effects by the surface

includes spatial correlation of surface – how fast are the changes in height

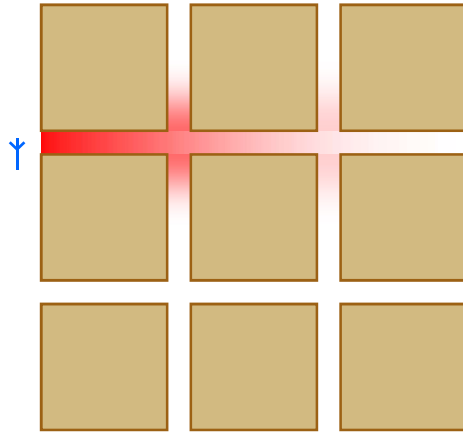


based on calculation of an “effective” dielectric constant

More accurate than Kirchhoff theory, especially for large angles of incidence and “rougher” surfaces



Waveguiding



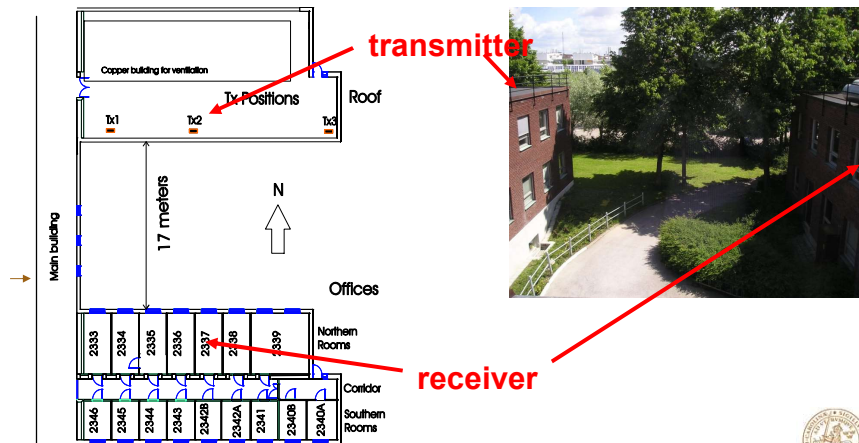
Waveguiding effects often result in lower propagation exponents

$$n = 1.5-5$$

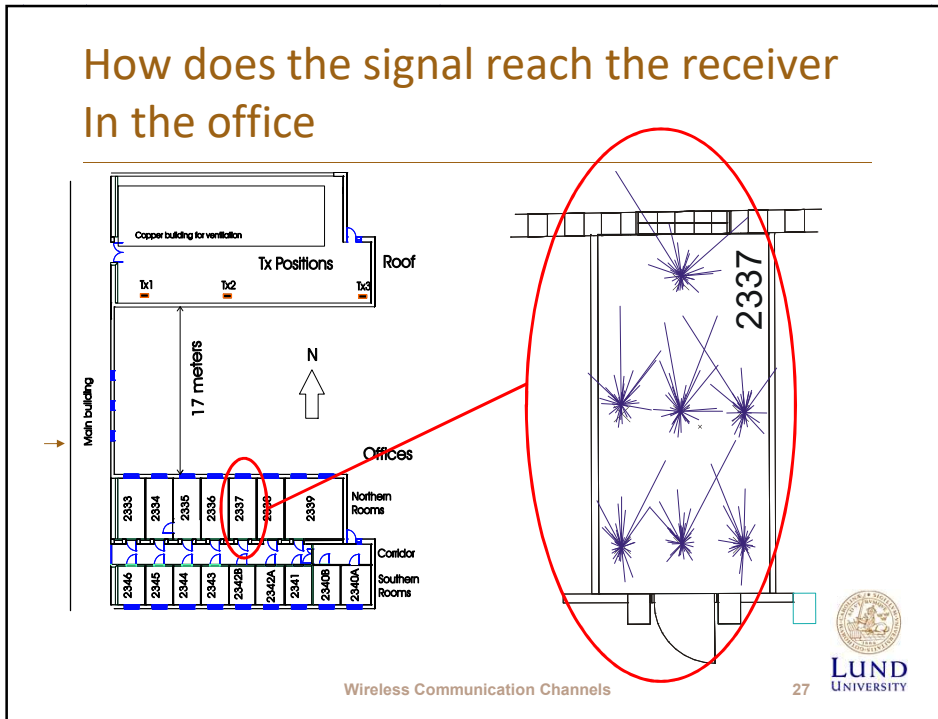
This means lower path loss along certain street corridors



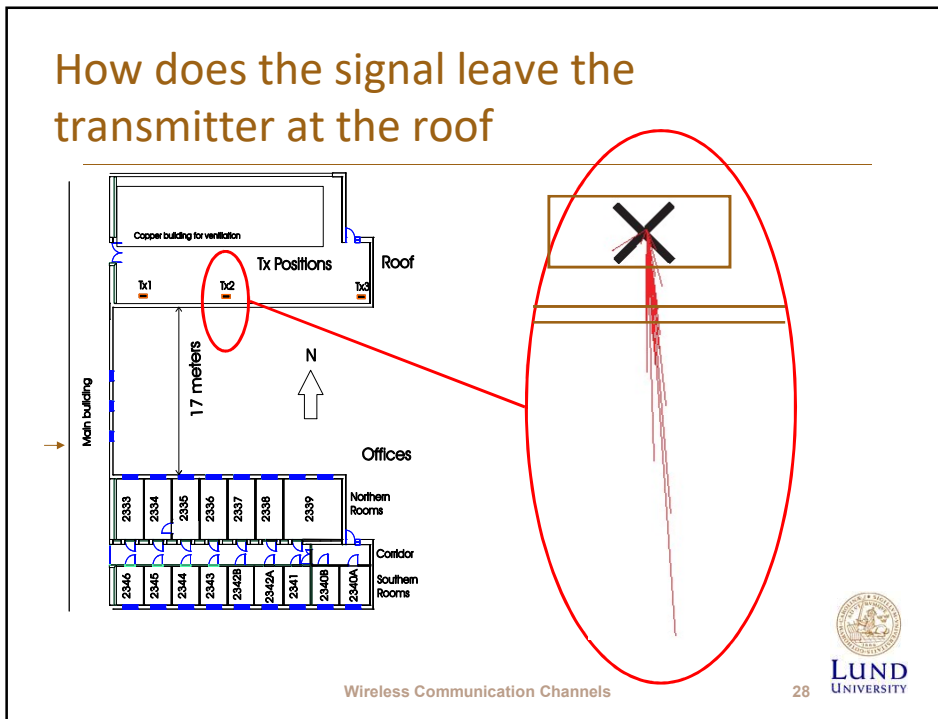
How does the signal reach the receiver Outdoor-to-indoor



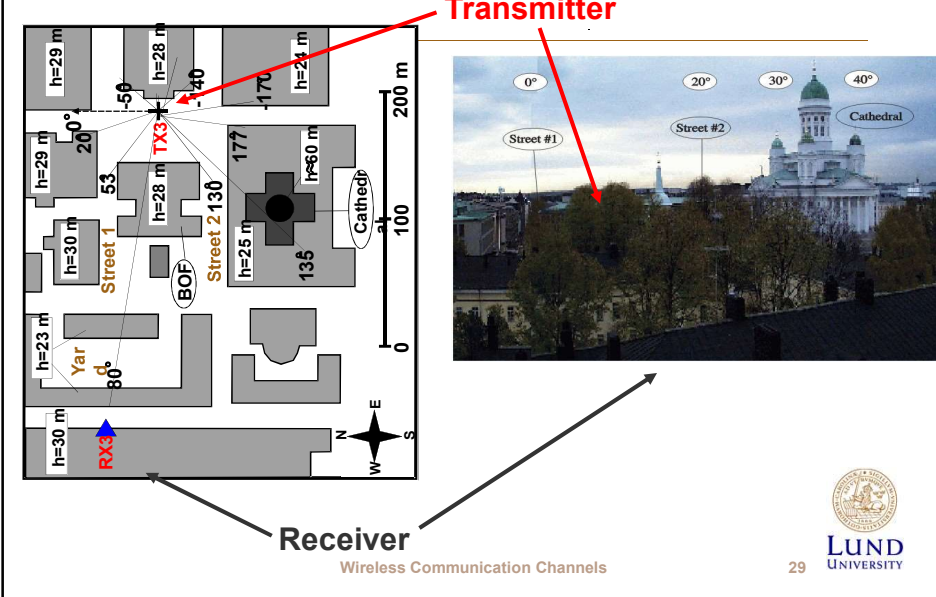
How does the signal reach the receiver In the office



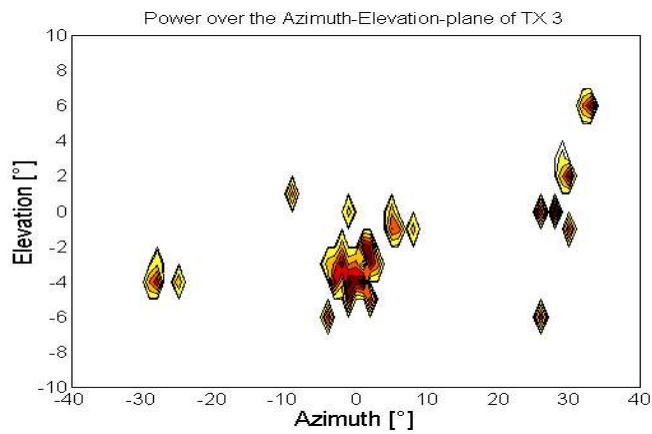
How does the signal leave the transmitter at the roof



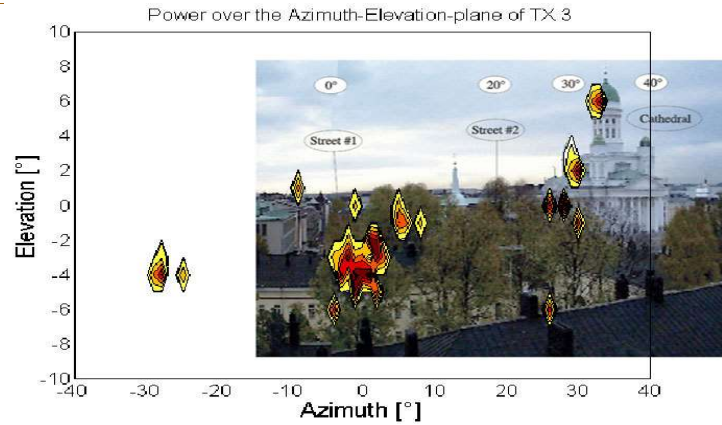
How does the signal reach the receiver outdoor urban



Signal arrives from some specific areas

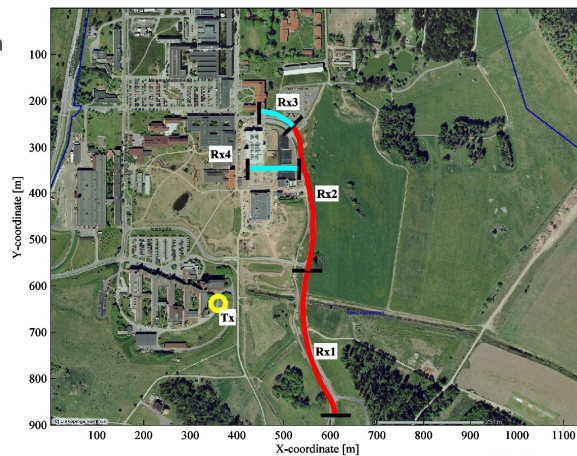


Diffraction, reflection, scattering, transmission

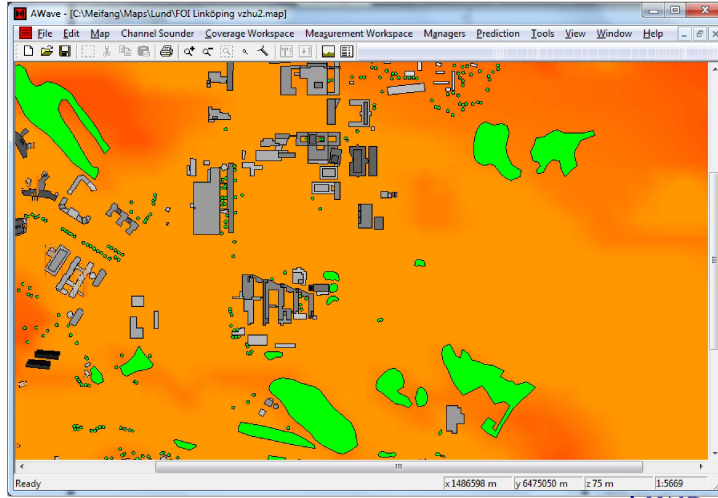


Outdoor 300 MHz peer-to-peer scenario

- Center frequency:
 - 285 MHz, 20MHz bandwidth
- Peer-to-peer measurement:
 - TX, 1.8m (BS)
 - RX, 2.1m (MS)
- Four routes:
 - 322, 320, 80, 110 m
 - semi-rural scenario
 - sub-urban scenario

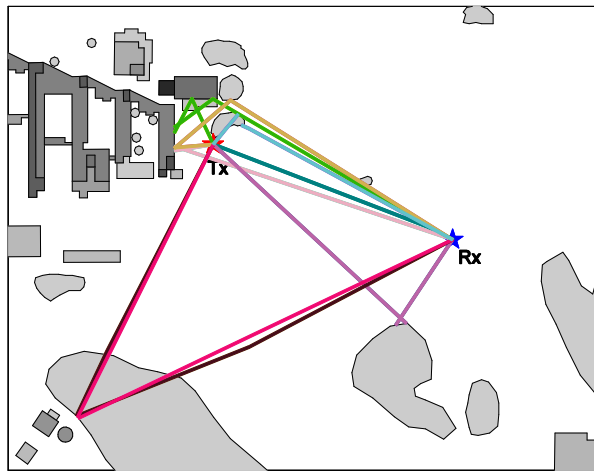


Digital 3D map of the environment



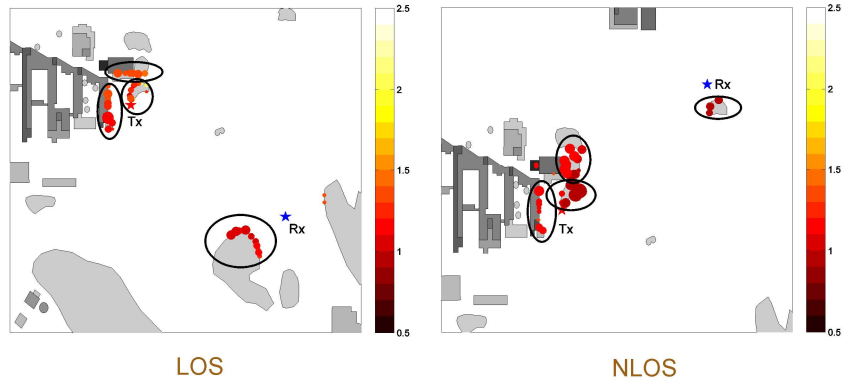
Wireless Communication Channels

Visualized paths for a particular Tx/Rx position



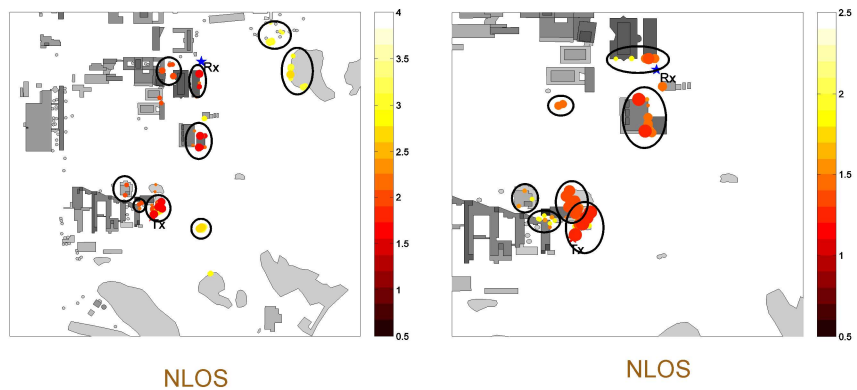
Wireless Communication Channels

Interaction points, 20 strongest MPCs



Radius of circles reflects power, color reflects delay

Interaction points, 20 strongest MPCs



Radius of circles reflects power, color reflects delay

Multipath components tend to appear in clusters, moving Rx

