The 2-band-model:

$$Im(k_x) = \sqrt{\frac{2m^*}{\hbar^2} \left[\frac{\frac{E_g^2}{4} - E^2}{E_g}\right]}$$
$$T_{WBK} = \exp\left(-2\int_{x_1}^{x_2} k_x(x) \, dx\right)$$

- 1. For tunneling in a constant e-field show that the classical turningpoints x1 and x2 are given by $x_{1,2} = \pm \frac{qE_g}{2\varepsilon}$, where e is the magnitude of the electric field.
- 2. Show that the energy E in Eq.1 can be written as $E = -q\varepsilon x$.
- 3. Perform the integration and demonstrate that $T_{wbk} = e^{-\left(\frac{\pi\sqrt{m^*E_g^3}}{2\sqrt{2}q\hbar\varepsilon}\right)}$ 4. For a double gate GaAs TFET with $t_{ov}=2$ nm and t_{wbk} 4. For a double gate GaAs TFET with t_{ox} =2 nm and t_{ch} =5 nm, calculate the transmission if V_{gs}-V_t=0.1V.
- 5. For a double gate InAs TFET with t_{ox} =2 nm and t_{ch} =5 nm, calculate the transmission if V_{gs}-V_t=0.1V.
- 6. Taking quantization into account, repeat the calculations.